UNIT 1 - STRUCTURES AND PROPERTIES OF MATTERS

Lesson 1 Atomic Structure

Learning Goals

- Review early atomic theory and analyze contributions made by atomic theorists as they apply to modern theory of the atom.
- Identify properties of electron of atom based on a set of four quantum numbers.

Nelson Text Reference: 3.1, 3.2, 3.3, 3.4

Dalton's Atom (1808)

• Atoms are indivisible spheres.





John Dalton (1766-1844)

Thomson's Plum Pudding Model (1904)

- Based on his discovery of electron in 1897.
- The atom is mostly a spheres of positive charge.
- Tiny, negatively charged "electrons" circulate in this sphere.
- The positive and negative charges balance atom is neutral.





J. J. Thomson (1856-1940)

Rutherford's Nuclear Model (1911)

- Based on the results of the gold-foil experiment.
- Most of the atom is empty space.
- Atom's mass is concentrated in a tiny positive nucleus.
- Electrons are located in the space surrounding the nucleus.





Ernest Rutherford (1871-1937)



Young

(1773-1829)

- Light shows wave interference.
- Light behaves like a wave.

• Light is an electromagnetic wave.



James Maxwell (1831-1879)



Max Planck (1858-1947)

- Light from hot objects is emitted as discrete packets of energy (quanta).
- The energy of a quantum depends on the frequency of the light.



- Light is absorbed as quanta (explains the photoelectric effect).
- The energy of a quantum depends on the frequency of the light.

E = hf

PHOTONS



Albert Einstein (1879-1955)

Bohr's Quantum Atomic Model (1913)



Niels Bohr (1885-1962)

- Electrons orbit the nucleus only at specific allowable energy levels (stationary states).
- While in an stationary state, electrons do not emit energy.
 - Electrons cannot spiral into the nucleus
- An electron can change to a higher energy level by absorbing a photon with energy exactly equal to the difference between the energy levels.
 - Explains the absorption spectra (dark-line spectral) of elements
- An electron can change to a lower energy level by emitting a photon with energy exactly equal to the difference between the energy levels.

• Explains the emission spectra (bright-line spectra) of elements

De Broglie's Matter Waves (1924)

- Hypothesizes that all particles (including electrons) have wave properties.
- Later supported by observed wave interferences patterns produced by electrons.



Louis de Broglie (1892-1987)

Schrodinger's Wave Mechanics (1927)



- Applies wave equations to the electrons in an atom.
- Solution describe probability distribution for the electrons called orbitals.
- An orbital is a three-dimensional region in which an electron is most likely found.
- The orbital does not give the exact positive of the electron or the motion of the electron.

Heisenberg's Uncertainty Principle (1927)

• The exact position and motion of an electron (or any particle) cannot be known.



Werner Heisenberg (1901-1976)

The Quantum Numbers

These numbers are used to describe the probable location of an electron.

1. The Principal Quantum Number (*n*)

The value for the energy level or **orbital** of an electron $(n = 1, 2, 3 \text{ to } \infty)$.

2. The Secondary Quantum Number (*l*)

Divides the energy levels into **sublevels** or **orbital types** (smaller spaces or shapes) called s (0), p (1), d (2), f (3). l = 0 to (*n*-1).

3. The Magnetic Quantum Number (m_l)

Describes the **direction of orientation** (pointing) for *p*, *d* and *f* orbital types (i.e. p_x , p_y , p_z). $m_l = -l to + l$

4. The Spin Quantum Number (m_s)

An electron can spin in only 2 directions

$$(m_s = +\frac{1}{2} \text{ or } -\frac{1}{2})$$

Quantum Numbers Questions

 An electron has the following set of quantum numbers:

 $n = 3, l = 1, m_l = 1, m_s = -\frac{1}{2}$.

In which orbital is this electron found?

a. 3s b. 3p c. 3d d. 3f e. 4p

- 2) Which set of quantum numbers is not possible?
 - a. $n = 3, l = 0, m_l = 0, m_s = -\frac{1}{2}$ b. $n = 5, l = 3, m_l = 2, m_s = \frac{1}{2}$ c. $n = 4, l = 3, m_l = -1, m_s = -\frac{1}{2}$ d. $n = 5, l = 3, m_l = -3, m_s = \frac{1}{2}$ e. $n = 4, l = 4, m_l = 2, m_s = -\frac{1}{2}$
- 3) Which set of quantum numbers is not possible?

a. $n = 5, l = 3, m_l = 0, m_s = -\frac{1}{2}$ b. $n = 1, l = 0, m_l = 0, m_s = -\frac{1}{2}$

- c. $n = 3, l = 2, m_l = 1, m_s = \frac{1}{2}$
- d. $n = 4, l = 3, m_l = -3, m_s = 0$
- e. $n = 5, l = 2, m_l = 0, m_s = \frac{1}{2}$

The Quantum Numbers

These numbers are used to describe the probable location of an electron.

1. The Principal Quantum Number (*n*)

The value for the energy level or **orbital** of an electron $(n = 1, 2, 3 \text{ to } \infty)$.

2. The Secondary Quantum Number (1)

Divides the energy levels into **sublevels** or **orbital types** (smaller spaces or shapes) called *s* (0), *p* (1), *d* (2), *f* (3). l = 0 to (*n*-1).

3. The Magnetic Quantum Number (m_1)

Describes the **direction of orientation** (pointing) for *p*, *d* and *f* orbital types (i.e. p_x, p_y, p_z). $m_l = -l to + l$

4. The Spin Quantum Number (*m*_s)

An electron can spin in only 2 directions

$$(m_s = +\frac{1}{2} \text{ or } -\frac{1}{2})$$

Quantum Numbers Questions

- 4) What are the allowed values of m, for an electron with each orbital-shape quantum number.
 a) /= 3
 b) /= 1
- 5a) What are the possible values of m_i if n = 4 and l = 2?
 - b) What kind of orbital is described by these quantum numbers?
 - c) How many orbitals can be described by these quantum numbers?

Success Criteria

- I can explain how experimental observations and inferences by Ernest Rutherford and Niels Bohr contributed to the development of the planetary model of the atom.
- I can describe the quantum mechanical model of the atom in terms of shells (energy levels), subshells (sublevels), orbitals, and electron spin.